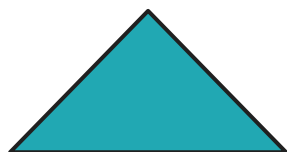
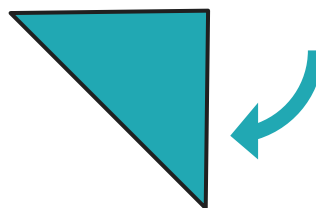


Two **triangles** are **similar** (\sim) if they have the same shape.

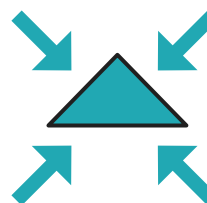
Similar triangles have different **sizes** and **rotations**.



Rotated 45° clockwise



Half of the original size



CFU

Which set of triangles appear to be similar? Explain.

A



B



Which set of triangles appear to be similar? Explain.

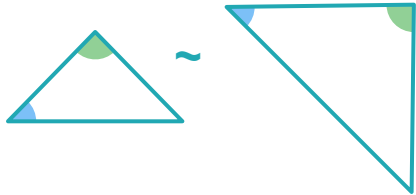
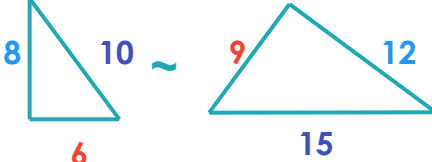
A



B

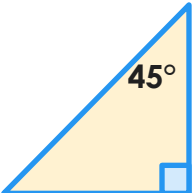
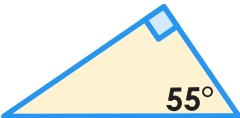
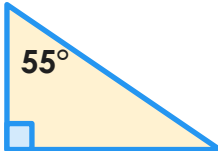


Two **triangles** are **similar** (\sim) if they have the same shape.

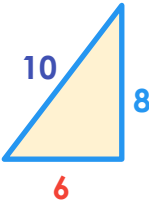
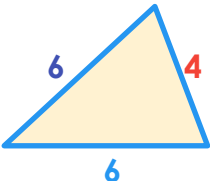
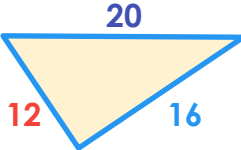
Similar Triangle Theorems	Examples
<p>Angle-Angle (AA) Similarity Theorem</p> <p>The triangles are similar (\sim) \longleftrightarrow The triangles share two equal angles.</p>	
<p>Side-Side-Side (SSS) Similarity Theorem</p> <p>The triangles are similar (\sim) \longleftrightarrow All corresponding side ratios are equal.</p>	 $\frac{10}{15} = \frac{8}{12} = \frac{6}{9}$

CFU


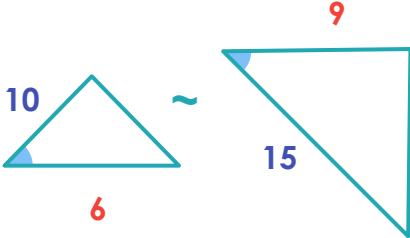
Which pair of triangles appear to be similar? Explain.

A  **B**  **C** 

Which pair of triangles appear to be similar? Explain.

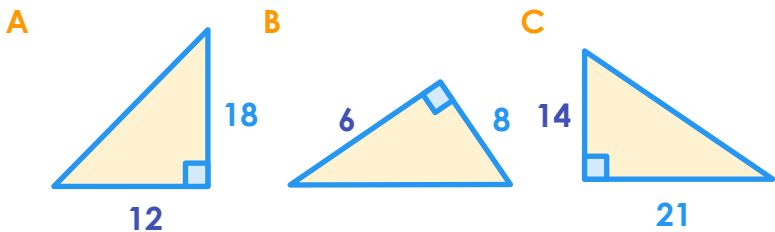
A  **B**  **C** 

Two **triangles** are **similar** (\sim) if they have the same shape.

Similar Triangle Theorems	Examples
<p>Side-Angle-Side (SAS) Similarity Theorem</p> <p>The triangles are similar (\sim)</p>  <p>The corresponding side ratios and angles between the sides are equal.</p>	 $\frac{10}{15} = \frac{6}{9}$

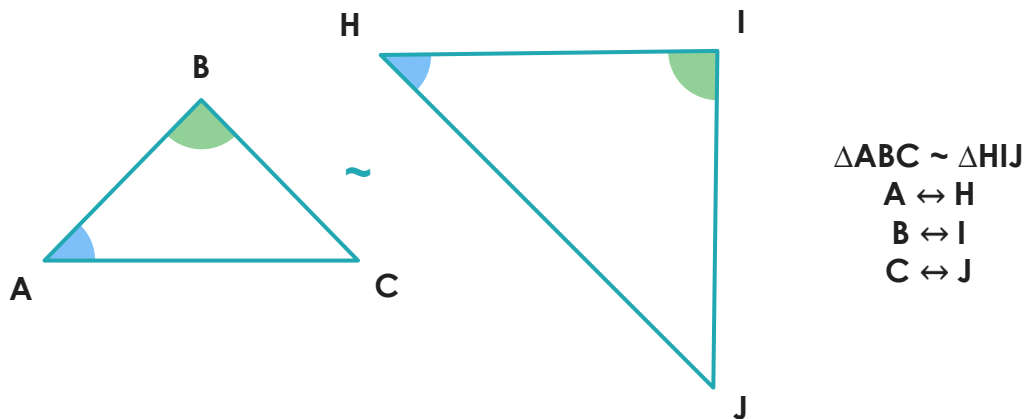
CFU

Which pair of triangles appear to be similar? Explain.



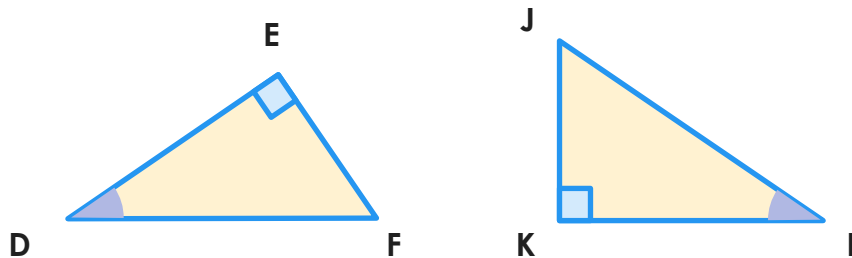
Two **triangles** are **similar** (\sim) if they have the same shape.

The notation for **similar triangles** shows the correspondence between the points of each triangle.



CFU

Which is the geometric notation for these similar triangles? Explain.

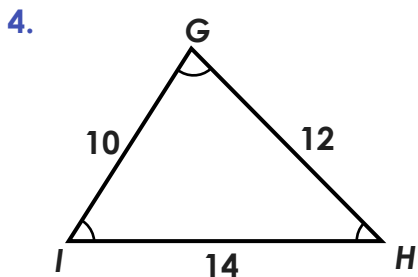
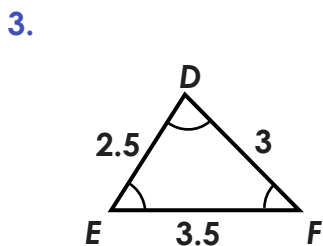
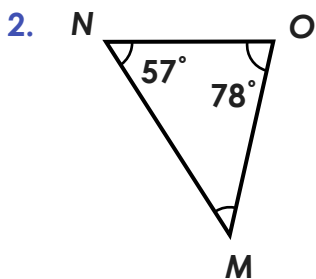
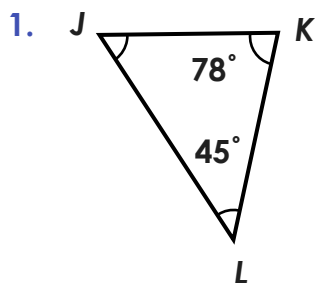
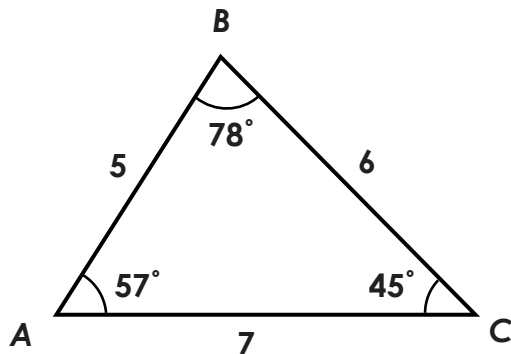


A $\Delta FED \sim \Delta JLK$

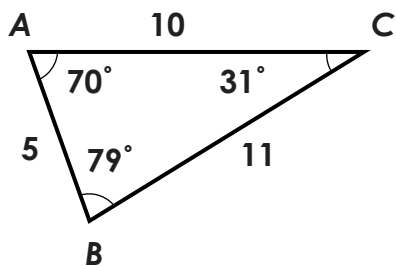
B $\Delta EDF \sim \Delta KLJ$

C $\Delta DEF \sim \Delta JKL$

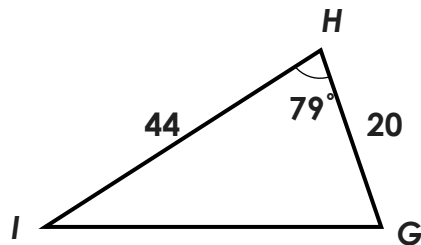
- 1 Identify which similar triangle theorem to use.
- 2 Determine whether the triangles are similar.
- 3 Use geometry notation to write the similarity statement.



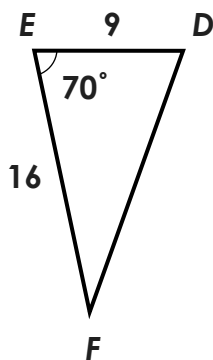
- 1 Identify which similar triangle theorem to use.
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- 3 Use geometry notation to write the similarity statement.



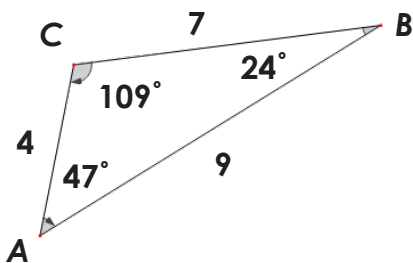
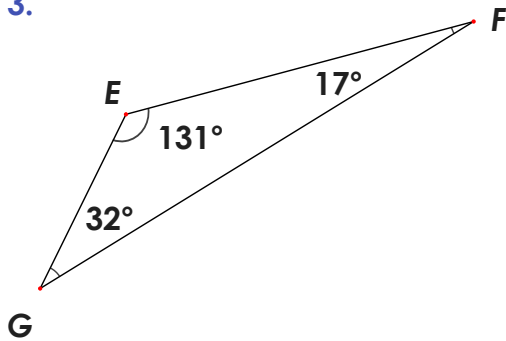
1.



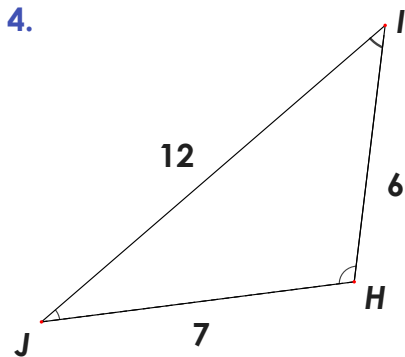
2.



3.

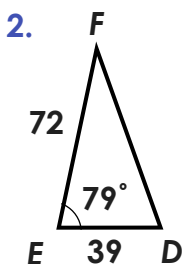
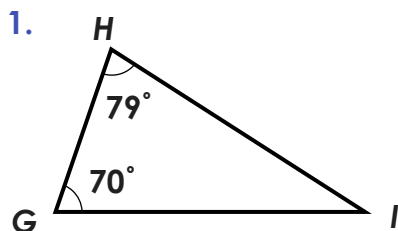
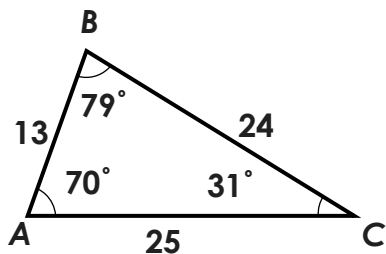


4.



Skill Closure

- 1 Identify which similar triangle theorem to use.
- 2 Determine whether the triangles are similar.
- 3 Use geometry notation to write the similarity statement.

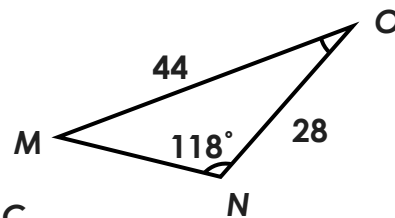
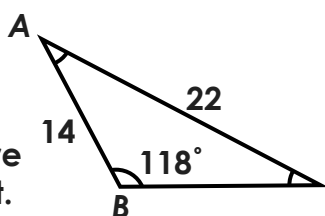


Concept Closure



Writing

Emma thinks that the triangles are similar because the two side ratios and angles are equal. Explain why her answer is incorrect.



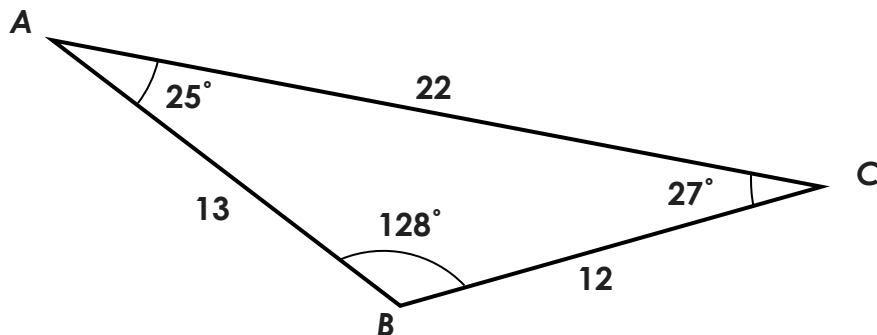
Summary Closure

What did you learn today about determining similar triangles?

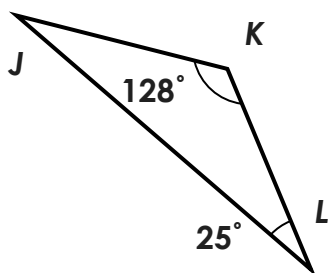
Word Bank

- similar
- triangle
- theorem
- angle
- side ratio
- equal
- angle-angle
- side-side-side
- side-angle-side

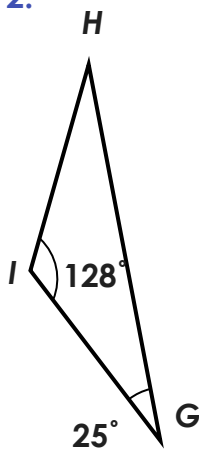
- 1 Identify which similar triangle theorem to use.
- 2 Determine whether the triangles are similar.
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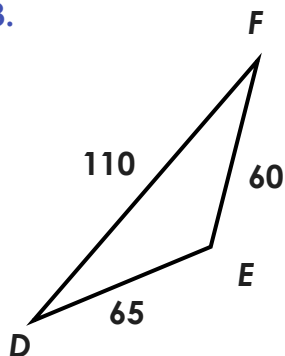
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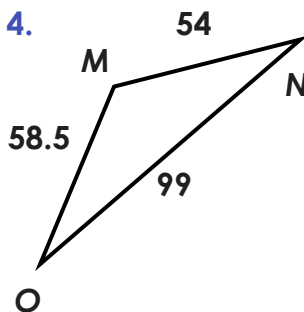
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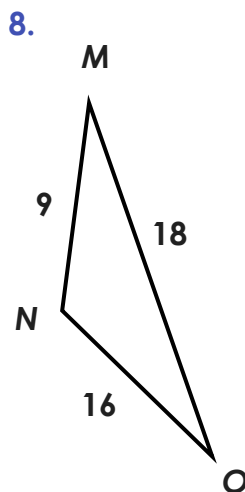
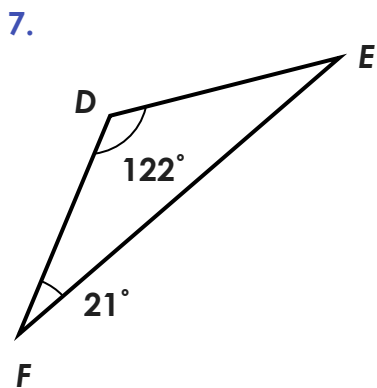
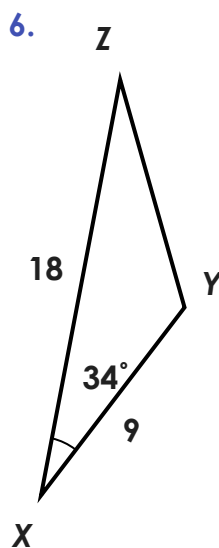
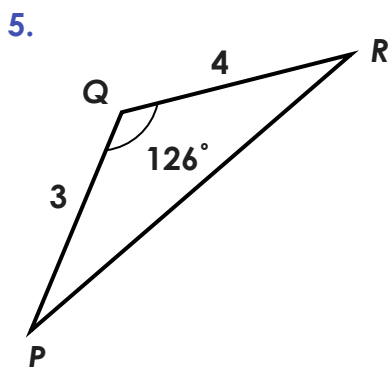
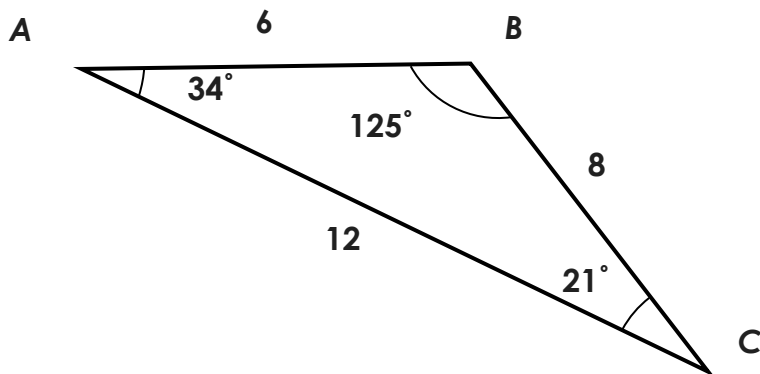
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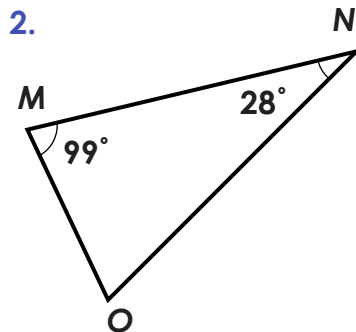
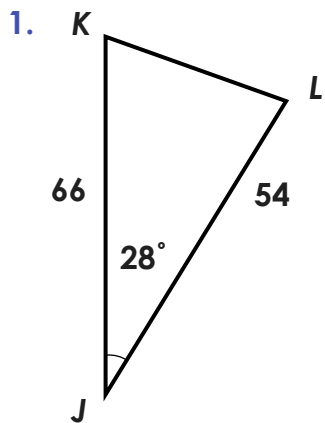
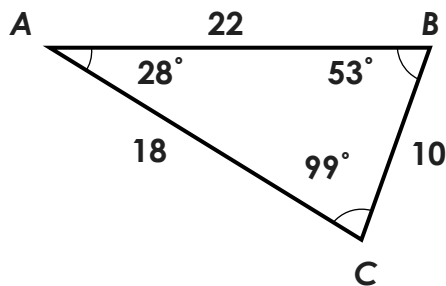
4.



- 1 Identify which similar triangle theorem to use.
- 2 Determine whether the triangles are similar.
- 3 Use geometry notation to write the similarity statement.

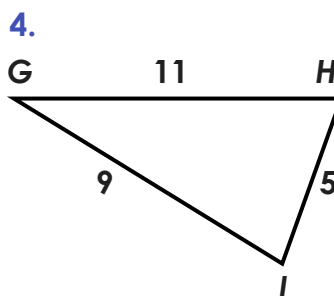
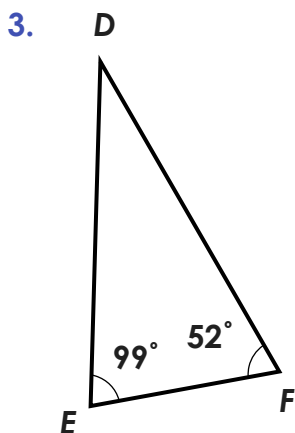
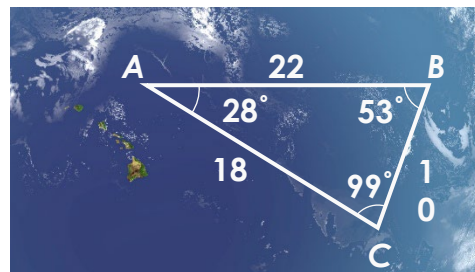


Determine if the given triangle is similar to $\triangle ABC$.

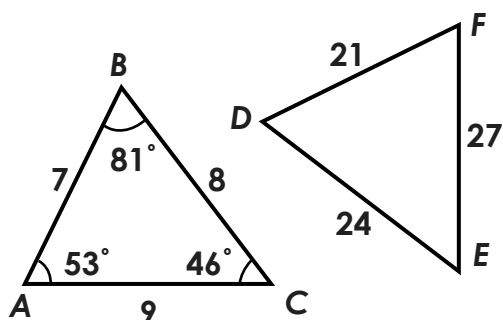


Read and solve the problem. Then, answer the question.

A ship's navigation team is charting out two triangular zones in the ocean for safe travel. The first triangular zone ABC is shown on the diagram to the right. Which triangular design should the team select to create a second zone with the same shape?



5. Joey thinks he solved this problem correctly. Explain why his answer is incorrect.



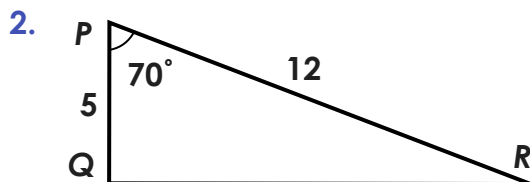
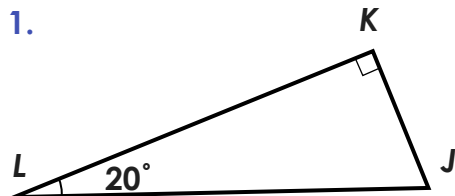
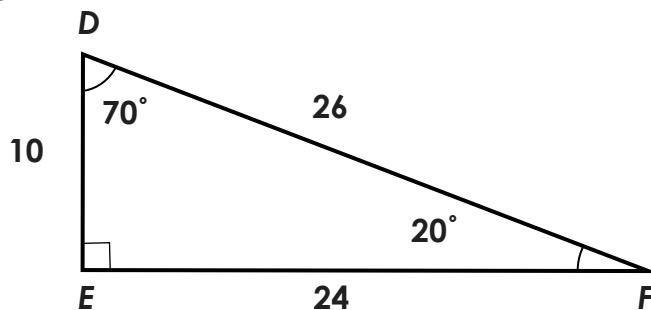
Side-Side-Side

$$\frac{21}{7} = \frac{24}{8} = \frac{27}{9}$$

$$3 = 3 = 3$$

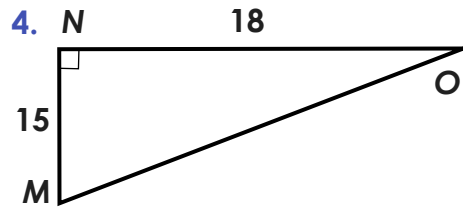
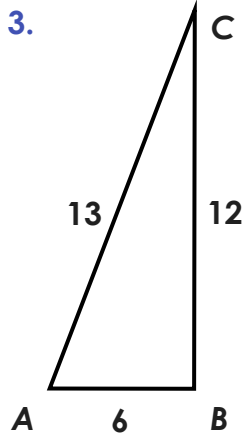
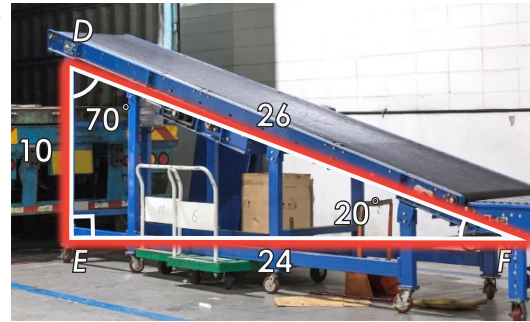
$\triangle ABC \sim \triangle DEF$, because all side ratios are equal.

Determine if the given triangle is similar to $\triangle DEF$.

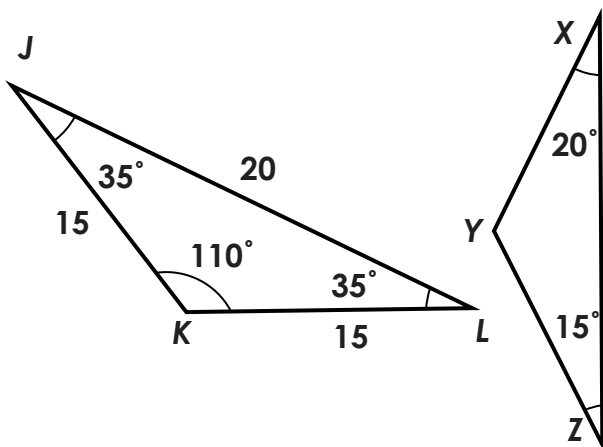


Read and solve the problem. Then, answer the question.

A construction engineer is designing ramps for a warehouse to meet safety standards for transporting goods. The first ramp is represented by $\triangle DEF$ on the right. Can this engineer use the designs below for a second ramp that must be similar in structure to the first ramp for safety reasons?



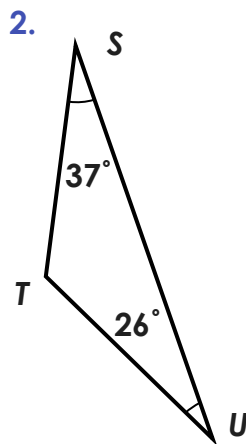
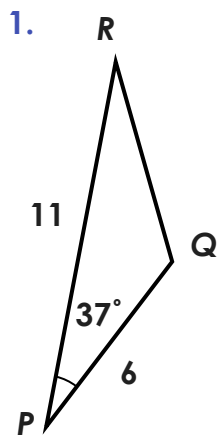
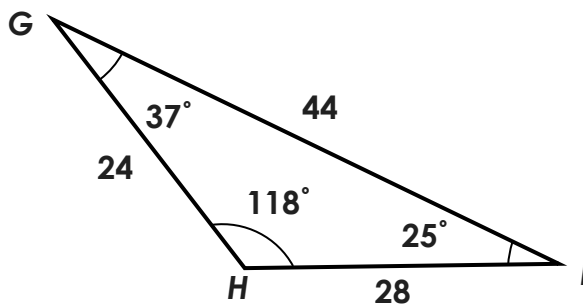
5. Aleyna thinks she solved this problem correctly. Explain why her answer is incorrect.



Angle-Angle
 $m\angle J = m\angle X = 20^\circ$
 $m\angle L = m\angle Z = 15^\circ$

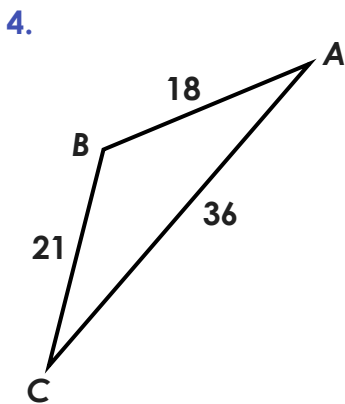
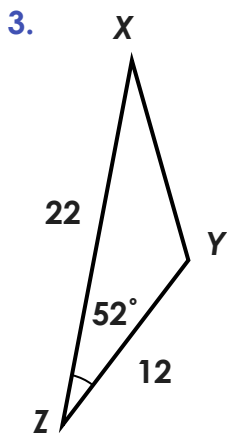
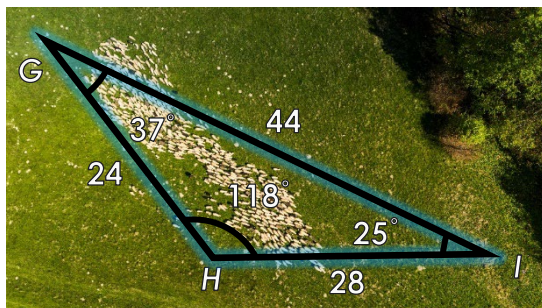
$\triangle JKL \sim \triangle XYZ$, because the triangles share two equal angles.

Determine if the given triangle is similar to $\triangle GHI$.

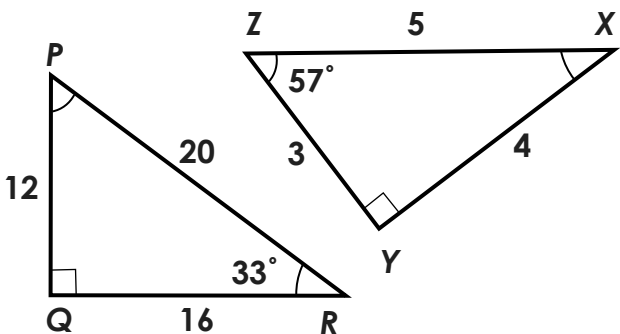


Read and solve the problem. Then, answer the question.

A farmer is creating two triangular grazing zones for her sheep. The first triangular zone, $\triangle GHI$, is shown on the right. She wants the second grazing zone to be proportional to the first. Which of the triangles should she use for the second zone?



5. Eugene thinks he solved this problem correctly. Explain why his answer is incorrect.



Side-Angle-Side
 $m\angle R = 33^\circ \neq m\angle Z = 57^\circ$
 $\frac{3}{16} = \frac{5}{20} \quad \frac{3}{16} \neq \frac{1}{4}$

$\triangle PQR \not\sim \triangle XYZ$, because the corresponding side ratios and angles between the sides are NOT equal.